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# Limitation on Effective Area of Bent Large-Mode-Area Leakage Channel Fibers 

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#### Abstract

We investigate the bending characteristics of leakage channel fibers (LCFs) to achieve large-mode-area (LMA) and effectively single-mode operation with a practically allowable bending radius for compact $\mathbf{Y b}$-doped fiber applications. Through numerical simulations, carried by the full-vectorial finite element method, we present the limitations on the effective area of LCFs under bent condition and compare their limits with that of conventional step-index LMA fibers. Due to a better controllability of the low numerical aperture and a large value of the differential bending loss ( $\sim 20 \mathrm{~dB} / \mathrm{m}$ ) between the fundamental and higher-order modes in LCFs, the LMA of $\sim 500 \mu \mathrm{~m}^{2}$ (core diameter of $\sim 36 \mu \mathrm{~m}$ ) at 1064 nm can be achieved when the optimized LCF is bent into a 10 cm bending radius.


Index Terms- Effectively single-mode, fiber lasers, large mode area fibers, leakage channel fibers, microstructured optical fibers.

## I. Introduction

IN recent years, there has been a growing interest in achieving a large mode area (LMA) fiber designs for laser applications [1]-[5]. However most of the fiber designs are limited by the bending losses (BLs) for compact packaging [6]. LMA can be achieved either by increasing the core diameter or by decreasing the numerical aperture (NA) of the fiber. However, to maintain single-mode operation, the relative refractive index difference between core and cladding should be decreased as the core diameter is increased, resulting in a large BL. This issue can be overcome through the deployment of specially-designed optical fibers with higher NA that can achieve an effectively single-mode (ESM) operation regime by limiting the propagation of the higher-order modes (HOMs). However, in the conventional fiber technology, the increment of the core size is limited by the difficulty of precise control of

[^0]the index profile when NA is very low. Another way to achieve LMA fibers is to employ resonant structures [7], however, their refractive index profiles are complicated and an accurate control of the index profile is required, resulting in fabrication issues and high fabrication cost.

To overcome these issues, various types of microstructured optical fibers (MOFs) have been investigated so far [8], [9], which can provide low NA without a germanium doped core. The presence of air-holes or low-index inclusions (e.g. fluorine-doped silica rods) in the cladding induces a strong wavelength dependence of the cladding index that gives an additional degree of freedom to control the NA, which can be tuned by changing the size of the low-index elements, making it possible to achieve a core diameter $>100 \mu \mathrm{~m}$ with single-mode operation [10]. However, it should be noticed that such MOFs with very large core diameter are not suitable for Yb -doped fiber amplification in coiled condition with a practical bending radius as low as 5 cm to 10 cm [11], as the effective mode area shrinks too much. One of the promising and simple ways to achieve LMA fibers with ESM condition and relatively low BL is to employ leakage channel fibers (LCFs) [12]-[18], characterized by a cladding formed by a single air-hole ring or a few of them. In this case, however, the limitation of the core size enlargement with bending has not been investigated in detail under practical constraints. Under bent conditions the fiber propagation characteristics change so that a reduction in the effective area may cause the onset of nonlinear processes in the fiber, deteriorating the output power and energy storage capacity [6], [19]. Therefore, it becomes necessary to formulate criteria to maintain a stable mode-field shape along with LMA in a standard packaging environment.

In this paper, we investigate bending characteristics of LCFs to achieve LMA and ESM operation with a practically allowable bending radius of $R=5 \mathrm{~cm}$ to 10 cm at $1064-\mathrm{nm}$ wavelength for Yb -doped fiber applications and discuss their superiority over conventional step-index LMA fibers having low multimodality. Through detailed numerical simulations based on the finite element method (FEM) [20], [21], we found that the LCFs having two rings of low-index inclusions (air or fluorine-doped silica rods) can introduce sufficient differential BL between the fundamental mode (FM) and the HOMs, and push the effective area limit to much larger values with respect to conventional LMA step-index fibers (SIFs).

## II. Effective Area Limit in Step-Index LMA Fibers under Bent Condition

We consider the core size limits in conventional SIFs, as shown in Fig. 1(a), in bending condition. In designing LMA fibers, we target packaging radii of 5 cm to 10 cm and a large differential BL between the FM and the HOM to maintain single-mode propagation at the 1064 nm operating wavelength. The upper and lower BL limits of the FM and the HOMs are set to 0.1 $\mathrm{dB} / \mathrm{m}$ and $10 \mathrm{~dB} / \mathrm{m}$, respectively, to obtain and optimize suitable fiber parameters. These criteria are reasonable in general, since the fiber length using for amplifier or laser is about 5 to 10 meters in the most practical applications.

Figures 1(b), (c), and (d) show the variation of effective area at 1064 nm in SIFs with bending radii of $5 \mathrm{~cm}, 7.5 \mathrm{~cm}$, and 10 cm , respectively, calculated by the FEM. The core diameter varies from $20 \mu \mathrm{~m}$ to $35 \mu \mathrm{~m}$ and the relative refractive index difference between the core index $n_{\text {core }}$ and the cladding index $n_{\text {clad }}$ is defined as $\Delta_{\text {core }}=\left(n_{\text {core }}{ }^{2}-n_{\text {clad }}{ }^{2}\right) /\left(2 n_{\text {core }}{ }^{2}\right)$, where the background material is assumed to be silica with refractive index of $n_{\text {clad }}=1.45$. The solid red and blue curves indicate a BL value of $0.1 \mathrm{~dB} / \mathrm{m}(\mathrm{FM})$ and $10 \mathrm{~dB} / \mathrm{m}$ ( $\mathrm{LP}_{11}$-like HOM), respectively. The HOM condition of $\mathrm{BL}_{\text {HOM }}>10 \mathrm{~dB} / \mathrm{m}$ is satisfied below the blue curve, whereas the FM condition of $\mathrm{BL}_{\mathrm{FM}}<0.1 \mathrm{~dB} / \mathrm{m}$ is satisfied above the red curve. From this graph, we find that an ESM effective area larger than $500 \mu \mathrm{~m}^{2}$ is achievable for 10 cm bending radius, if we can maintain a low refractive index difference value $\Delta_{\text {core }}$. However, we have to note that it is rather difficult to achieve a very low NA $<0.06$ ( $\Delta_{\text {core }}<0.085 \%$ ) in SIFs due to practical issues in finely controlling such a small dopant concentration difference in the fabrication process. Therefore, we would need to tighten the bending radius to values $\leq 5 \mathrm{~cm}$, as in Fig. 1(b), to obtain ESM operation with manageable $\Delta_{\text {core }}$, but this may result in a severe mode field distortion in the LMA fiber.
As we fix the minimum practical SIF NA=0.06, Fig. 2 shows the relationship between the core diameter and the required bending radius for achieving the ESM condition at 1064 nm . The red and blue curves are defined as before, and the upper limits of effective area ( $A_{\text {eff }}$ ) at the BL limits are also plotted. Taking into account the fabrication tolerance of the index profile and the bending radius tolerance with $\pm 0.5 \mathrm{~cm}$ errors, we can deduce a core diameter upper limit of $\sim 27 \mu \mathrm{~m}$ and a corresponding effective area limit of approximately $350 \mu \mathrm{~m}^{2}$ for the ESM SIF with bending radius smaller than 10 cm . This also suggests that the upper limit of the core size can be further increased if we can realize a lower NA $(<0.06)$ while keeping a low FM BL. Due to the flexibility of MOFs, such novel fibers are able to overcome the SIF LMA limits in bent condition by carefully designing their structural parameters.


Fig. 1. (a) Schematic cross-section of an SIF and variation of effective area as a function of the core diameter and the relative refractive index difference $\Delta_{\text {core }}$ in the SIF with bending radius of (b) $R=5 \mathrm{~cm}$, (b) $R=7.5 \mathrm{~cm}$, and (c) $R=10 \mathrm{~cm}$. The solid red and blue curves correspond to the lower and upper limits of the bending loss of FM and HOM, respectively.


Fig. 2. Relationship between the core diameter and the required bending radius in SIFs with NA= 0.06 for achieving ESM condition at 1064 -nm wavelength. The red and blue curves correspond to the lower and upper limits of the bending loss of FM and HOM, respectively. The upper limits of effective area are also plotted.

## III. Bending Characteristics in Leakage Channel Fibers

A layout of the simplest LCF design is shown in Fig. 3(a), which is a LCF with one air-hole ring structure. The LCF is characterized by its geometrical parameters, air-hole diameter $d$ and the spacing between the air-holes $\Lambda$. In designing the LMA LCF, we target a LMA condition for standard packaging radii of $5 \mathrm{~cm}-10 \mathrm{~cm}$ and a large differential BL between the FM and the HOM, to achieve ESM propagation at 1064 nm . The upper and lower BL limits of the FM and the HOMs are set similarly to the previously mentioned LMA SIF design. Usually, the differential loss between FM and HOM in LCFs is evaluated in the straight case. However here we evaluate it in the bent case as it is more relevant in practical situations. In addition, the core material is assumed to be pure silica for simplicity in our calculations. However, in the actual Yb -doped LCF with high doping concentration, the refractive index in the doped region would be slightly increased. This index increase can be lowered by co-doping of fluorine to tune the doping region index to pure silica level, therefore the following results are also valid for the Yb -doped LCFs.

Figures 3(b), (c), and (d) show the variation of effective area at 1064 nm in LCFs containing one air-hole ring for bending radii of $5 \mathrm{~cm}, 7.5 \mathrm{~cm}$, and 10 cm , respectively. The air-hole pitch $\Lambda$ is varied from $20 \mu \mathrm{~m}$ to $35 \mu \mathrm{~m}$ and the normalized air-hole size $d / \Lambda$ is varied from 0.7 to 0.8 , and the background material is assumed to be silica as before. Note that the material dispersion of silica has been ignored in the calculations. If we consider the wavelength-dependent silica index, it will only scale the results, but will not affect the results significantly. The solid red and blue curves are defined as in the SIF, where now the HOM is a $\mathrm{LP}_{11}$-like group formed by the $\mathrm{TE}_{01}$ mode, the $\mathrm{TM}_{01}$ mode, and the degenerated $\mathrm{HE}_{21}$ modes. The HOM condition of $\mathrm{BL}_{\mathrm{Hом}}>10 \mathrm{~dB} / \mathrm{m}$ is satisfied below the blue curve, whereas the FM condition of $\mathrm{BL}_{\mathrm{FM}}<0.1 \mathrm{~dB} / \mathrm{m}$ is satisfied above the red curve. If we fix $d / \Lambda$ and move $\Lambda$ to a higher value, we will enlarge the core size with respect to wavelength.

(d)

Fig. 3. (a) Schematic cross-section of an LCF with one air-hole ring structure and variation of effective area as a function of the air-hole pitch $\Lambda$ and the normalized air-hole size $d / \Lambda$ in the one-ring LCF with bending radius of (b) $R=5 \mathrm{~cm}$, (b) $R=7.5 \mathrm{~cm}$, and (c) $R=10 \mathrm{~cm}$. The solid red and blue curves correspond to the lower and upper limits of the bending loss of FM and HOM, respectively.

However, in this situation, the bending loss increases due to the decrement of NA. Therefore, the upper limit of $d / \Lambda$ for the HOM as well as the lower limit of $d / \Lambda$ for the FM increase as increasing the pitch value. From these results, we can clearly observe that for a single ring LCF design, the solid red curve always stays above the blue curve. This means that a one-ring LCF can not satisfy simultaneously both constraints of low loss operation and ESM condition, because the bending loss of all modes decreases as the value of $d / \Lambda$ increases. Therefore, the one-ring LCF structure (as shown in Fig. 3(a)) is not suitable to achieve ESM LMA behavior in bending condition, as it is not possible to achieve a sufficiently high differential BL.

Due to the impossibility of achieving LMA in the one-ring LCF while satisfying the targeted constraints, we consider a LCF design with a two air-hole ring structure, shown in Fig. 4(a), in order to increase the differential mode loss. The fiber design improves on the previous one by adding an additional ring that can further control the BL. Figures 4(b), (c), and (d) show the variation of effective area at 1064 nm in such LCFs for bending radii of $5 \mathrm{~cm}, 7.5 \mathrm{~cm}$, and 10 cm , respectively. The air-hole pitch $\Lambda$ varies from $20 \mu \mathrm{~m}$ to $35 \mu \mathrm{~m}$ and the normalized air-hole size $d / \Lambda$ varies from 0.65 to 0.75 , in pure silica glass as before. The HOM condition of $\mathrm{BL}_{\mathrm{HOM}}>10 \mathrm{~dB} / \mathrm{m}$ is satisfied below the blue curve, whereas the FM condition of $\mathrm{BL}_{\mathrm{FM}}<0.1$ $d B / m$ is satisfied above the red curve. From these results, with the same curve color definitions, we deduce the existence of upper limits of the air-hole pitch (and corresponding core size limits) for each bending radius.

The crossing point between the red curve and blue curve represents the theoretical limit of the effective area, and thus the theoretical limits of air-hole pitch are $25 \mu \mathrm{~m}, 28 \mu \mathrm{~m}$, and 31 $\mu \mathrm{m}$ for the bending radii of $5 \mathrm{~cm}, 7.5 \mathrm{~cm}$, and 10 cm , respectively, while the maximum value of the normalized air-hole size $d / \Lambda(\sim 0.72)$ is almost constant for each bending radius. However, note that it might be difficult to fabricate LCF structures having such precise values of the structural parameters with the required accuracy. Thus, from this analysis and from the knowledge of the fabrication process accuracy, we can estimate a practical upper limit of $\sim 0.67$ for the normalized air-hole size $d / \Lambda$.

As we fix the maximum practical $d / \Lambda=0.67$, Fig. 5 shows the relationship between the air-hole pitch $\Lambda$ and the required bending radius in two air-hole ring LCFs in ESM condition at 1064 nm , together with the upper limits of effective area $\left(A_{\text {eff }}\right)$. There is a reasonable bending radius tolerance for $\Lambda>24 \mu \mathrm{~m}$ and, based on this analysis, we can clearly set $\sim 27 \mu \mathrm{~m}$ as the upper limit of air-hole pitch, which gives the corresponding effective area limit as approximately $500 \mu \mathrm{~m}^{2}$ for bending radius $<10 \mathrm{~cm}$ to achieve ESM operation.


Fig. 4. (a) Schematic cross-section of an LCF with two air-hole ring structure and variation of effective area as a function of the air-hole pitch $\Lambda$ and the normalized air-hole size $d / \Lambda$ in the two-ring LCF with bending radius of (b) $R=5 \mathrm{~cm}$, (b) $R=7.5 \mathrm{~cm}$, and (c) $R=10 \mathrm{~cm}$. The solid red and blue curves correspond to the lower and upper limits of the bending loss of FM and HOM, respectively.


Fig. 5. Relationship between the air-hole pitch $\Lambda$ and the required bending radius in two air-hole ring LCFs with $d / \Lambda=0.67$ for achieving ESM condition at $1064-\mathrm{nm}$ wavelength. The red and blue curves correspond to the lower and upper limits of the bending loss of FM and HOM, respectively. The upper limits of effective area are also plotted.


Fig. 6. Bending losses of the FM and the first HOM as a function of bending radius in a two-ring LCF at 1064 nm , where $\Lambda=27 \mu \mathrm{~m}$, and $d / \Lambda=0.67$.


Fig. 7. Effective area variation and the normalized power in doped-core region of the FM as a function of bending radius in a two-ring LCF at 1064 nm , where $\Lambda=27 \mu \mathrm{~m}, d / \Lambda=0.67$, and the doped-core diameter is assumed to be $27 \mu \mathrm{~m}$.

Figure 6 displays the BL in the two-ring LCF as a function of bending radius at 1064 nm , where $\Lambda=27 \mu \mathrm{~m}$ and $d / \Lambda=0.67$. The red and blue curves represent the BLs of FM and HOM, respectively. The BL peaks, around bending radius of 8.6 cm for the FM and 14.6 cm for the HOM, are attributed to the coupling between the guided core mode and the cladding modes [22]. Except the peaks, BL increases monotonically for
tighter bending. A high enough differential BL between the FM and the HOM can be found: the FM BL remains lower than $0.03 \mathrm{~dB} / \mathrm{m}$, whereas for the HOM it is larger than $20 \mathrm{~dB} / \mathrm{m}$ at the same bending radius of 10 cm . In Fig. 7, the variation of the FM effective area as a function of the bending radius at 1064-nm wavelength is plotted. The effective area decreases monotonically with smaller bending and attains a value of 495 $\mu \mathrm{m}^{2}$ at the bending radius of 10 cm , while it is equal to $592 \mu \mathrm{~m}^{2}$ in the straight condition. The effective area compression due to bending is only $16 \%$. The mode field distributions at 1064 nm in the straight and bent cases are shown in Figs. 8(a) and (b), respectively, achieving a very good confinement of the FM and a reasonably low distortion due to bending, which does not substantially compromise the doped region overlap. In Fig. 7, we have also plotted the normalized power in doped-core region of the FM as a function of the bending radius at $1064-\mathrm{nm}$ wavelength, where the circular doped-core region with core diameter of $27 \mu \mathrm{~m}$ is assumed. We can see that the normalized power in the circular doped core is about $84 \%$ at the bending radius of 10 cm .


Fig. 8. Mode field distributions at 1064 nm in a two-ring LCF (a) without bending and (b) with bending radius of $R=10 \mathrm{~cm}$, where $\Lambda=27 \mu \mathrm{~m}$, and $d / \Lambda=0.67$.


Fig. 9. (a) Schematic cross-section of an all-glass LCF with two rings of F-doped silica rods and variation of effective area as a function of the low-index rod pitch $\Lambda$ and the normalized rod size $d / \Lambda$ in the two-ring LCF with bending radius of (b) $R=5 \mathrm{~cm}$, (b) $R=7.5 \mathrm{~cm}$, and (c) $R=10 \mathrm{~cm}$, where $\Delta^{-}=0.4 \%$. The solid red and blue curves correspond to the lower and upper limits of the
bending loss of FM and HOM, respectively.
Finally, we consider an all-glass LCF design, shown in Fig. 9(a), with the aim to further improve the NA and LMA characteristics. An LCF with an array of air-holes around the core requires to be sealed, and the resulting local refractive index perturbations can lead to mode distortion, having an even larger impact on the mode structure due to the large core size [12]. Therefore, to reduce mode distortion and achieve an easier LCF fabrication as well as low splice loss, an all-glass LCF design has been reported [12], in which the air-holes are replaced by fluorine-doped (F-doped) silica rods, whose refractive index is lower than that of pure silica. Figure 9(a) shows an all-glass LCF with two rings of F-doped silica rods. The F-doped silica rod diameter is $d$ and the center-to-center rod spacing is $\Lambda$. The background material is pure silica and the relative refractive index difference between the two kinds of material is defined as $\Delta^{-}=\left(n_{\text {clad }}{ }^{2}-n_{F}^{2}\right) /\left(2 n_{\text {clad }}{ }^{2}\right)$, where $n_{\text {clad }}$ is the index of pure silica and $n_{F}$ is the index of F-doped silica. In the following calculations, we will assume $\Delta^{-}=0.4 \%$ as an example.

Figures 9(b), (c), and (d) show the effective area at 1064 nm in all-glass LCFs with two F-doped silica rod rings for bending radii of $5 \mathrm{~cm}, 7.5 \mathrm{~cm}$, and 10 cm , respectively. The rod pitch $\Lambda$ varies from $20 \mu \mathrm{~m}$ to $30 \mu \mathrm{~m}$ and $d / \Lambda$ varies from 0.7 to 0.8 , embedded in pure silica. From these results, with the same curve color definitions, we can deduce the upper limit of core size for each bending radius. We find that the practical effective area limit in the all-glass LCFs is very similar to that in the two air-hole ring LCFs, which is around $500 \mu \mathrm{~m}^{2}$ with bending radius of 10 cm . However, the main advantages of all-glass LCF would be the ease of fabrication and the reduced parameter tolerance levels.

## IV. Conclusion

The practical limits of the effective area for effectively single-mode LMA fibers have been investigated for fiber laser/amplifier applications under bending conditions. The bending characteristics of LMA LCFs as well as SIFs are numerically evaluated and it is found that the upper limit of the effective area for the ESM operation with bending radius smaller than 10 cm is less than $350 \mu \mathrm{~m}^{2}$ in a conventional SIF by considering the index profile controllability, while for the two-ring LCF structures it can be improved to around $500 \mu \mathrm{~m}^{2}$ (core diameter of $\sim 36 \mu \mathrm{~m}$ ) at $1064-\mathrm{nm}$ wavelength with reasonable fabrication tolerances. We have also numerically confirmed that these effective area limits can not be improved even if we use lower or higher doping concentration of the F-doped glass.

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